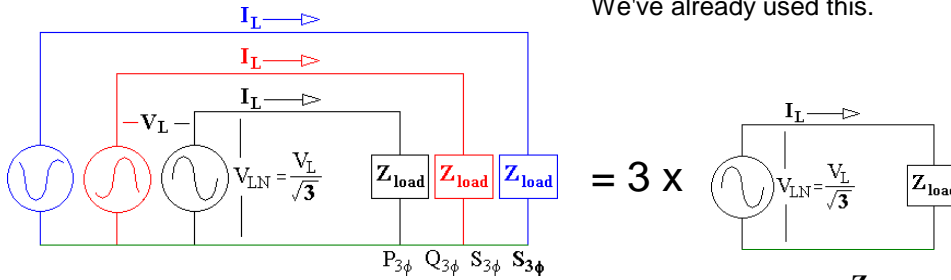


Full 3-phase diagrams can be very cumbersome. In a balanced system you only need to consider one phase

Per-phase Analysis

Balanced 3-phase systems can be represented by just one phase. We've already used this.



$$P_{1\phi} = \frac{P_{3\phi}}{3} \quad Q_{1\phi} = \frac{Q_{3\phi}}{3}$$

$$S_{1\phi} = \frac{S_{3\phi}}{3}$$

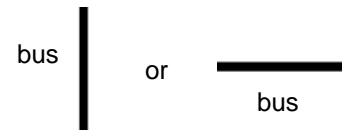
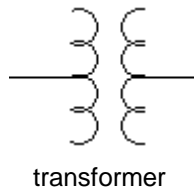
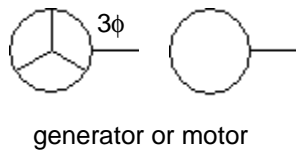
$$S_{1\phi} = |S_{1\phi}| = \frac{S_{3\phi}}{3}$$

Anything not Y-connected can be converted to a Y- equivalent.  $Z_Y = \frac{Z_{\Delta}}{3}$

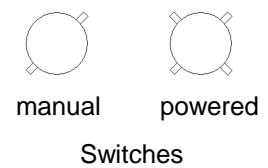
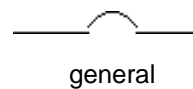
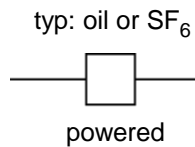
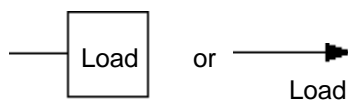
One-Line Diagrams

In a balanced system neutral current is zero, so in one-line diagrams, even the neutral connections are omitted.

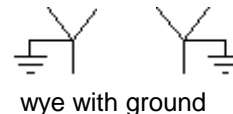
Some Important symbols



All items connected to one bus have same voltage. Like a circuit node, but actually represents 4 connections.



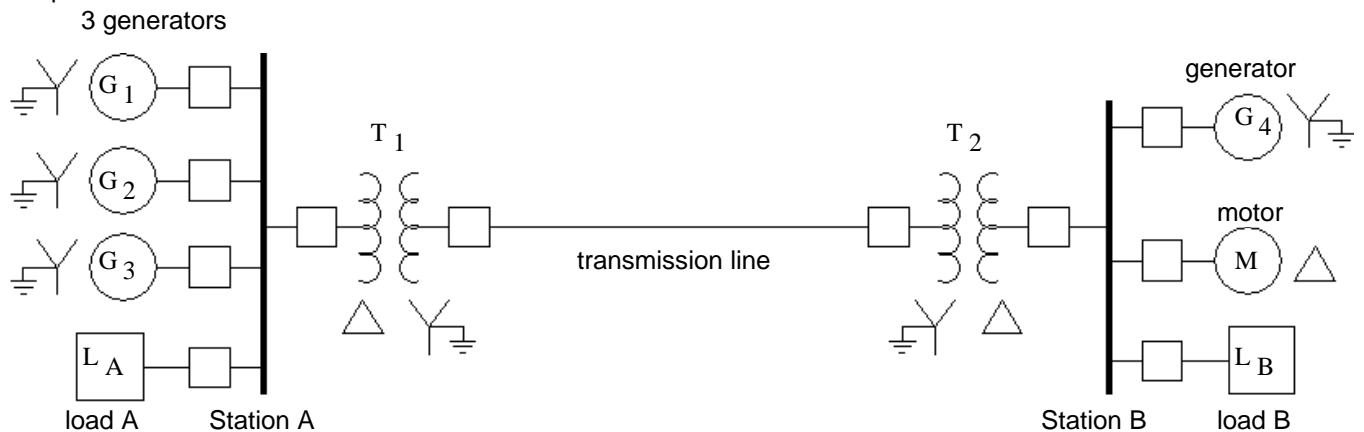
Connection symbols:



Can also include resistors, inductors, capacitors and impedances

Unfortunately these symbols are not as well standardized as you would think

Example



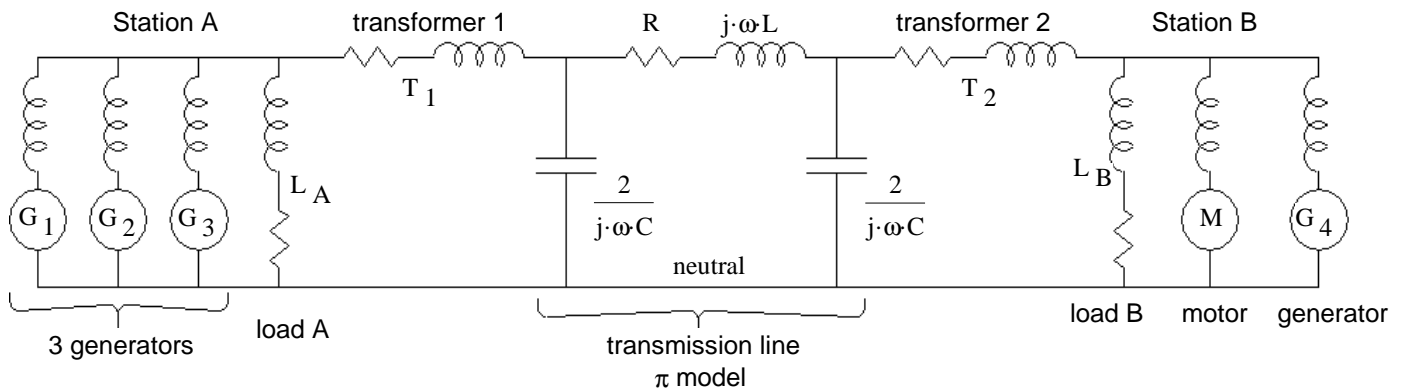
Many more real examples:

# Impedance Diagrams

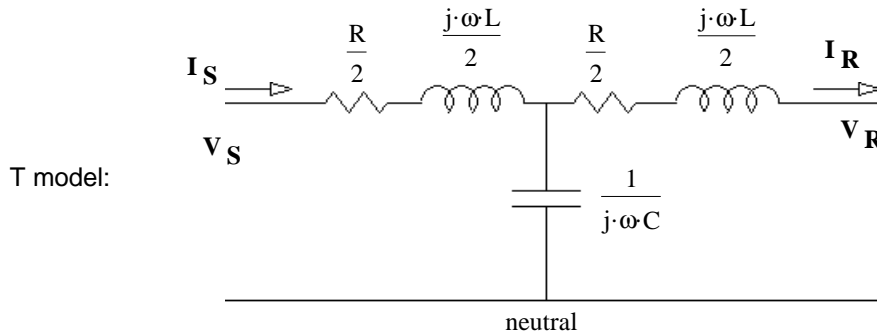
Same system

Component values are per-unit (pu).

If you didn't use pu values then you would have to transform impedances across the transformers.



A T model of the transmission line may be easier to work with

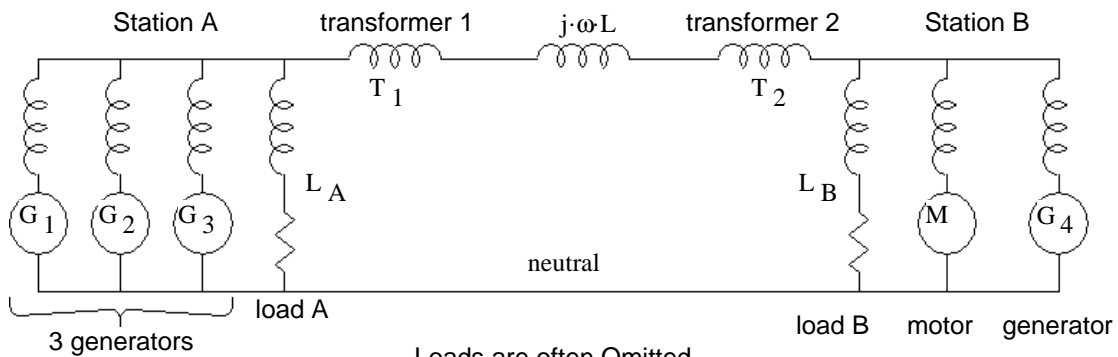


# Reactance Diagrams

Same system

Ignore the line capacitances, and all resistors but those in the loads

Component values are per-unit (pu).



# One-Line Impedance Diagrams

Component values are per-unit (pu).

