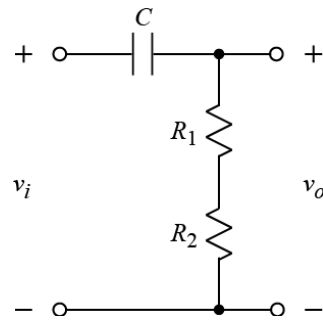




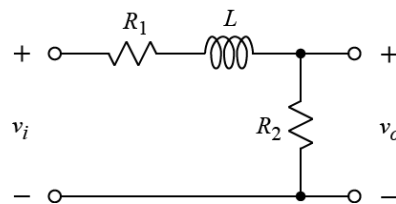
1.



$$R_1 = 120 \text{ k}\Omega \quad R_2 = 130 \text{ k}\Omega \quad C = 200 \text{ nF}$$

- Determine the transfer function V_o/V_i .
- Find ω such that $|V_o/V_i| = 1/\sqrt{2}$.
- Find ω such that $\angle V_o/V_i = 45^\circ$.
- Is it true that $\left| \frac{1}{j\omega C} \right| = |R_1 + R_2|$ at $\omega = \omega_C$?

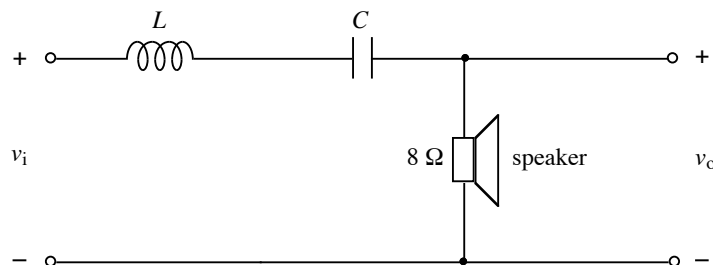
2.



$$R_1 = 150 \Omega \quad R_2 = 750 \Omega \quad L = 1 \mu\text{H}$$

- Determine the transfer function V_o/V_i . **Hint:** switch the order of R_1 and L and use a voltage divider.
- Express the maximum of $|V_o/V_i|$ as a function of R_1 and R_2 .

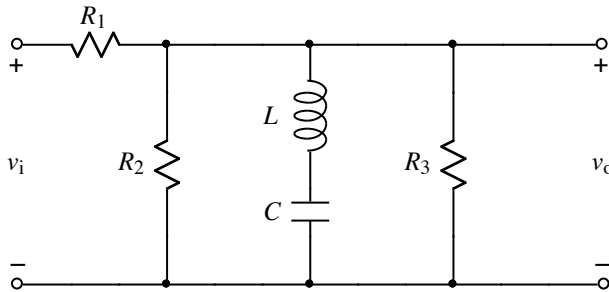
3.



The above circuit is part of a simple crossover network for driving a midrange speaker having an impedance of 8Ω . The circuit is described at the following web site: <http://www.termpro.com/articles/xover2.html>. A more in-depth discussion of crossover networks may be found at <http://sound.westhost.com/lr-passive.htm>.

- a) The web site describing the above bandpass filter suggests using cutoff frequencies of $f_{C1} = 130$ Hz and $f_{C2} = 4$ kHz. Determine the L and C values that yield these cutoff frequencies.
- b) Plot $|V_o/V_i|$ versus ω .

4.



$$R_1 = 18 \Omega \quad R_2 = 48 \Omega \quad R_3 = 144 \Omega \quad C = 31.25 \mu\text{F} \quad L = 2 \text{ mH}$$

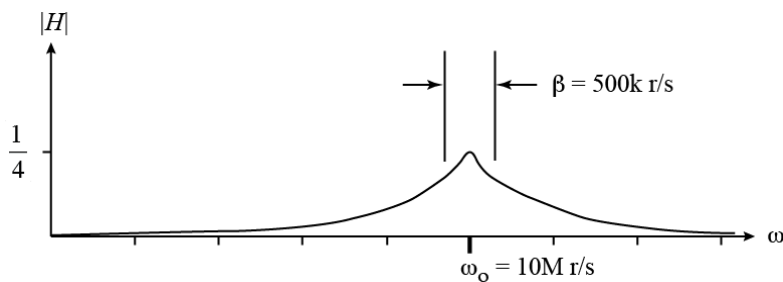
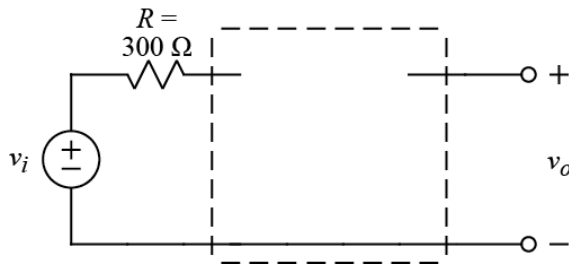
- a) What type of filter is the above circuit: a band-pass or a band-reject?

Hint: Use a Thevenin equivalent to combine all the R's into one.

For the filter shown above, calculate the following quantities:

- b) ω_o c) ω_{C1} and ω_{C2} d) β and Q

5.



Given the resistor connected as shown and using not more than one each R , L , and C in the dashed-line box, design a circuit to go in the dashed-line box that will produce the **band-pass** $|H(j\omega)|$ vs. ω shown above. That is:

$$\max_{\omega} |H(j\omega)| = \frac{1}{4} \text{ and occurs at } \omega_0 = 10 \text{ M r/s}$$

The bandwidth, β , of the filter is 500k r/s.

$$|H(j\omega)| = 0 \text{ at } \omega = 0 \quad \text{and} \quad \lim_{\omega \rightarrow \infty} |H(j\omega)| = 0$$